

Review

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# Hydroxyurea treatment of sickle cell disease: towards a personalized model-based approach

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## Abstract

Hydroxyurea is a commonly used drug for the treatment of sickle cell disease. Several studies have demonstrated the efficacy of hydroxyurea in ameliorating disease pathophysiology. However, a lack of consensus on optimal dosing and the need for ongoing toxicity monitoring for myelosuppression limits its utilization. Pharmacokinetic (PK) and pharmacodynamic (PD) studies describe drug-body interactions, and hydroxyurea PK-PD studies have reported wide inter-patient variability. This variability can be explained by a mathematical model taking into consideration different sources of variation such as genetics, epigenetics, phenotypes, and demographics. A PK-PD model provides us with a tool to capture these variant responses of patients to a given drug. The development of an integrated population PK-PD model that can predict individual patient responses and identify optimal dosing would maximize efficacy, limit toxicity, and increase utilization. In this review, we discuss various treatment challenges associated with hydroxyurea. We summarize existing population PK-PD models of hydroxyurea, the gap in the existing models, and the gap in the mechanistic understanding. Lastly, we address how mathematical modeling can be applied to improve our understanding of hydroxyurea's mechanism of action and to tackle the challenge of inter-patient variability, dose optimization, and non-adherence.

**Keywords:** Sickle cell disease, hydroxyurea, fetal hemoglobin, pharmacokinetics, pharmacodynamics



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## INTRODUCTION

Sickle cell disease (SCD) is a hereditary disease affecting up to an estimated 100,000 people in the United States and millions worldwide<sup>[1]</sup>. SCD is caused by a point mutation in the  $\beta$ -globin gene that results in a single nucleotide substitution, changing glutamic acid (GAG) to valine (GTG) in the sixth codon, and subsequently produces abnormal sickle hemoglobin (HbS)<sup>[2]</sup>. Sickle hemoglobin polymerizes upon deoxygenation in the peripheral microvasculature and forms an elongated, rod-like structure<sup>[3]</sup>. The polymerized structure stretches the red blood cell (RBC) and deforms the membrane producing rigid and sickle-shaped RBCs<sup>[4]</sup>. The sickled RBC adheres to endothelial cells and is responsible for the vaso-occlusive crisis<sup>[5]</sup>. The primary clinical effects associated with vaso-occlusive complications are painful episodes, acute chest syndrome, and stroke<sup>[3]</sup>. Sickle cell anemia (SCA) describes the homozygous condition when both the genes for  $\beta$ -globin ( $\beta_s$ ) are mutated, and SCA is represented by the HbSS genotype<sup>[4,5]</sup>. Besides the homozygous HbSS genotype, other genotypes of SCD include heterozygous sickle-cell/ $\beta^0$  thalassemia (HbS/ $\beta^0$ ), sickle-cell/ $\beta^+$  thalassemia (HbS/ $\beta^+$ ), sickle-cell/hemoglobin C disease (HbSC), and other rare genotypes<sup>[5,6]</sup>. A wide degree of phenotypic variability is observed in addition to genetic variability<sup>[7]</sup>.

Mathematical models have been developed for several diseases, such as hematological malignancies, solid tumors, diabetes, and human immunodeficiency viruses (HIV), to address the ongoing treatment challenges ranging from improving the existing drug dosing regimen to the effective management of the disease adverse events. A model-guided dosing strategy can be applied to predict drug-dependent efficacy and toxicity at multiple stages of treatment. For example, the pharmacokinetic-pharmacodynamic (PK-PD) modeling of the drugs cisplatin and etoposide for small-cell lung cancer identified three new dosing regimens with a better reduction in tumor size compared to standard protocol while satisfying toxicity constraints for neutrophil and platelet counts<sup>[8]</sup>. Similarly, Houy and Grand determined optimal chemotherapy regimens for temozolomide using the PK-PD modeling<sup>[9]</sup>. The model showed that the toxicity of metronomic chemotherapy could be reduced while achieving the same level of efficacy<sup>[9]</sup>. Another successful use of a model-based approach in treatment efficacy was to personalize the 6-mercaptopurine treatment of acute lymphoblastic leukemia<sup>[10,11]</sup>. The model factored in the patient-specific variations in enzyme, thiopurine methyltransferase (TPMT), activity to obtain optimal dose. The study showed that a lower dose is needed for a patient with low TPMT enzyme activity than the standard dose<sup>[10]</sup>. Mathematical model-based approaches have been developed for diabetes, where both clinical and non-clinical models are available<sup>[12]</sup>. The clinical models include models developed for describing diagnosis, control, progression, and complications. The non-clinical models aid in unraveling the mechanism of insulin-glucose dynamics on multi-scale levels<sup>[12]</sup>. Mathematical models have also been used to study HIV dynamics, to understand disease progression, and to improve treatment<sup>[13]</sup>. Similar mathematical modeling approaches can be leveraged for describing SCD progression and the influence of hydroxyurea on disease modification.

The need for a model-based approach arises from the treatment challenges faced by clinicians in managing SCD. In this review, we discuss the challenges associated with hydroxyurea treatment. The pharmacokinetics and pharmacodynamics of hydroxyurea are discussed with a focus on population PK-PD modeling. This review elaborates on building a personalized treatment strategy by formulating patient PK-PD models and integrating them. The modeling strategy can be applied to predict an individual patient's treatment response trajectory with time and determine personalized dosage.

## TREATMENT APPROACHES

The treatment approach for SCD varies from patient to patient depending on the stage of the disease and clinical severity. The treatment includes two types of strategies: targeting the relief of symptoms and



usually takes 9-12 months of treatment. If the optimal dose can be determined earlier using mathematical modeling, the time to MTD can be reduced, and, as a result, maximum benefits from HU can be extracted.

#### *Non-adherence to treatments*

Non-adherence presents a significant challenge for clinicians. The effect of HU is maximized with adherence to daily administration, and the benefits wane with non-adherence. Clinically, it is challenging to differentiate treatment inefficacy from non-adherence, and doctors may confuse the non-adherence to the patient being treatment refractory. Thornburg et al.<sup>[36]</sup> evaluated adherence in children with SCA treated on HU therapy and found that good adherence led to an increase in HbF% inferred from a moderate association between HbF% and Morisky score and number of refills. Brandow and Panepinto classified barriers to the use of hydroxyurea as provider-related, patient-related, and system-related ones<sup>[37]</sup>. They identified several barriers to adherence to HU therapy: the delayed benefits of HU, fear of drug side effects, expected frequent treatment monitoring, forgetfulness, and poor access to healthcare<sup>[36,37]</sup>.

#### *Need for effective biomarkers*

The biomarkers currently in use are HbF and MCV of RBC, both of which increase with HU treatment<sup>[27]</sup>. However, they take some time to reach a steady-state, and there is a large degree of intra-patient variability in response. Therefore, there is a need for a better biomarker to detect treatment efficacy earlier.

#### *Incomplete understanding of the drug mechanism*

The mechanism of HU-induced HbF stimulation is not known, and the transporters, enzymes, metabolites, and signaling molecules involved in HU PK-PD are not known. The potential role of organic anion transporting polypeptides (OATP) as HU transporters was investigated<sup>[38,39]</sup>. Studies showed that metabolites such as urea, nitric oxide were produced, and enzymes such as monooxygenase and catalase were involved in the metabolism of HU<sup>[40-42]</sup>. Studies have indicated the nitric oxide-cyclic guanosine monophosphate signaling pathway or p38 mitogen-activated protein kinase pathway to be activated when HU is administered *in vitro*<sup>[43-45]</sup>. Understanding the drug mechanism will help in advancing the HU treatment further.

#### *Myelosuppression*

As mentioned above, HU inhibits enzyme ribonucleotide reductase, which causes bone marrow toxicity<sup>[2]</sup>. A dose-dependent decrease in neutrophils and reticulocytes follows HU administration. HU-induced increase in HbF% is correlated to change in MCV, neutrophils, and reticulocytes count<sup>[21]</sup>. Neutrophil count < 2000/ $\mu$ L, reticulocyte count < 80,000/ $\mu$ L, platelet count < 80,000/ $\mu$ L, and hemoglobin concentration < 4.5 g/dL are considered excessive myelosuppression<sup>[21]</sup>. When excessive myelosuppression events are repeated, the treatment is withheld for 1-2 weeks until cell counts normalize<sup>[46]</sup>. Following this, HU is resumed at a lower dose than the toxic dose.

All these challenges reflect the need for a mathematical model to address and further explore mechanisms of HbF activation. We need a treatment regimen guided by patients' history and patient-specific variables to decide an adequate dose for every patient. The standard clinical practice of determining the MTD is time and effort consuming and requires constant monitoring of the patient. A mathematical model would be clinically useful in predicting the inter-patient variability by considering individual patients' biochemical and genetic composition and demographic variables. A mathematical model will also help the timely and optimal dosage prediction by maximizing efficacy and minimizing toxicity. Through the model, we can look for alternative biomarkers that do not take a longer time to reach a steady-state.

## **PHARMACOKINETICS AND PHARMACODYNAMICS OF HYDROXYUREA**

Hydroxyurea is used for the treatment of cancer, HIV, and sickle cell disease. Pharmacokinetics mainly consists of four processes: absorption, distribution, metabolism, and excretion (ADME). Hydroxyurea



the value of the corresponding variables/parameters for the  $i^{th}$  individual. The  $j$  subscript denotes the corresponding variables/parameters at  $j^{th}$  time. The residual error shown above is an additive term in the model output. Other types of residual error models are proportional, exponential, combined additive and proportional, and combined additive and exponential functions of  $\varepsilon$ <sup>[53]</sup>. The IIV is described in Equation (2) using an exponential function. The other functions used to describe IIV are additive and proportional. Population PK studies have been done in cancer and SCA patients.

Pharmacokinetic studies of HU in HIV described the HU plasma concentration–time data with a one- or two-compartment model with first-order absorption and first-order elimination<sup>[20,47]</sup>. One study demonstrated a significant correlation between predicted and observed serum concentrations of hydroxyurea<sup>[20]</sup>. Tracewell *et al.*<sup>[19]</sup> studied population PK of HU in cancer patients. A one-compartment model fitted the patients’ data with elimination through the metabolic and renal pathways. Michaelis-Menten kinetics was used for metabolic elimination, and a first-order rate equation was used for renal elimination<sup>[19]</sup>. The IIV for the volume of distribution,  $V$ , was assumed to be proportional to the average value through the following equation<sup>[19]</sup>:

$$V_i = \bar{V}(1 + \eta_{Vi}) \tag{3}$$

where  $V_i$  is  $i^{th}$  individual  $V$ ,  $\bar{V}$  is the average  $V$  of population, and  $\eta_{Vi}$  is the random variable that denotes IIV. To account for RV, the residual error model was described by the proportional function given below<sup>[19]</sup>:

$$y_{ij} = y_{Mij}(1 + \varepsilon_{ij}) \tag{4}$$

where  $y_{Mij}$  is the model-predicted drug concentration of  $i^{th}$  individual at  $j^{th}$  time.

The PK-PD studies in cancer and HIV patients found one- or two-compartment models with first-order absorption and first-order or Michaelis-Menten elimination to best fit the drug concentration–time profile<sup>[19,20,47]</sup>. In the case of SCD, Ware *et al.*<sup>[32]</sup> studied the PK after the first dose of HU using non-compartmentalized PK analysis. They observed two categories of patients with varying absorption profiles, slow and fast, and with varying drug exposure. The apparent clearance,  $CL/F$ , depends on the weight of the patient, as determined from the least-squares regression fit. Univariate and multivariate linear regression was done to identify significant covariates for  $CL/F$ . The coefficient of variation in PK parameters described the IIV. In multivariate analysis, covariates related to  $CL/F$  were weight, alanine aminotransferase (ALT), and serum creatinine<sup>[32]</sup>.

The population PK-PD model in SCA patients developed by Paule *et al.*<sup>[33]</sup> captured the relationship between exposure–efficacy and corresponding variability in PK-PD. The second-order conditional estimation method was used to obtain the PK parameter estimates with the interaction between inter-individual and residual variabilities. The two-compartment model with first-order absorption and first-order elimination fitted the PK data best. The combined additive and proportional residual error model described the RV, as shown below<sup>[33]</sup>:

$$y_{ij} = y_{Mij}\left(1 + \varepsilon_{pij}\right) + \varepsilon_{aij} \tag{5}$$

where  $\varepsilon_{pij}$  and  $\varepsilon_{aij}$  are the proportional and additive residual random errors, respectively. A scaling factor for the central volume of distribution,  $V_c$ , and clearance,  $CL$ , was used to scale these parameters by body weight (BW) of a 70-kg patient. The scaling was done to adapt the model to children, as given by the following equation<sup>[33]</sup>:

$$V_c = \theta_{Vc} \frac{BW}{70}; CL = \theta_{CL} \left(\frac{BW}{70}\right)^{0.75} \tag{6}$$

where  $\theta_{V_c}$  and  $\theta_{CL}$  are the  $V_c$  and  $CL$  of a 70-kg patient. The IIV was high for  $V_c$ ,  $CL$ ,  $k_a$ , absorption rate constant, and  $k_{cp}$ , the rate constant for transit from central to peripheral compartment. The IIV in PK parameters was assumed to be an exponential function of  $\eta$ , as shown in Equation (2). The model performance was evaluated using a simulation-based diagnostic tool, visual predictive check (VPC). Based on the VPC results, the model gave good fits with the observed PK data<sup>[33]</sup>.

Similarly, Wiczling *et al.*<sup>[34]</sup> developed a population PK model to capture the variation of HU concentration in plasma and urine with time. In this study, a one-compartment model with first-order elimination through renal and non-renal pathways provided good fits to the data. Additionally, a gamma-distributed absorption rate (transit absorption model) was used owing to the delay in absorption observed in several patients. In the transit absorption model, the absorption compartment consists of  $N_t$  transit compartments, and the input to the central compartment,  $u(t)$ , was given by the following equation<sup>[34]</sup>:

$$u(t) = F D k_{tr} \frac{(k_{tr} t)^{N_t} e^{-k_{tr} t}}{N_t!} \quad (7)$$

where  $F$  is the bioavailability,  $D$  is the drug dose, and  $k_{tr}$  is the transit rate in between compartments.  $k_{tr}$  is given by  $(N_t + 1)/MTT$ , where  $MTT$  is the mean transit time. The proportional residual error model given by Equation (4) was used to account for RV<sup>[34]</sup>. The following equation gave the individual parameters:

$$\theta_i = \theta_{median} (1 + \theta_{COV} (COV_i - COV_{median})) e^{\eta_i} \quad (8)$$

where  $\theta_i$  and  $\theta_{median}$  are the PK parameters for the  $i^{th}$  individual and median covariate,  $COV_i$  is the continuous covariate of  $i^{th}$  individual,  $COV_{median}$  is the median value for a particular covariate, and  $\theta_{COV}$  is the regression coefficient. The weight was identified as a significant covariate for the apparent volume of distribution,  $V/F$ , and  $CL/F$  due to the metabolic pathway. The model performed well, as evaluated from the goodness of fits, VPC plots, and the individual patient fits obtained for the variation of HU plasma concentration and HU urine amount with time<sup>[34]</sup>.

In another study, Estep *et al.*<sup>[35]</sup> performed a population PK study in children with SCD. The model was similar to the model developed earlier by Wiczling *et al.*<sup>[34]</sup>. However, elimination through only one pathway was considered. The study participants received HU in capsule and liquid forms. Since the drug was administered on two occasions, the model expressed the PK parameters as a function of two random variables to account for inter-individual ( $\eta$ ) and inter-occasion variability ( $\kappa$ )<sup>[35]</sup>.

$$\theta_{ik} = \bar{\theta} e^{\eta_i} e^{\kappa_k} \quad (9)$$

where  $\theta_{ik}$  is the set of PK parameters for  $i^{th}$  individual and  $k^{th}$  occasion.  $V_c$  and  $CL$  were expressed as functions of bodyweight using Equation (5). They showed that their model adequately described the data based on the goodness-of-fit plots and VPC plots for liquid and capsule formulations. The individual patients fit for PK data in patients receiving the liquid and capsule formulations showed that the model simulation matched the observed data well<sup>[35]</sup>.

Dong *et al.*<sup>[54]</sup> developed a dosing strategy using individual patient PK profile to reduce the time to reach MTD and maximize the effect of HU. Using D-optimal design, they identified that only three plasma samples at sampling times of 15-20 min, 50-60 min, and 3 h post-dosing are needed to estimate HU exposure. They described the relationship between the average PK parameter and continuous covariates shown in the following equations by normalized power models or linear models<sup>[54]</sup>:

$$\theta_{ij} = \bar{\theta} \left( \frac{COV_{ij}}{COV_{median}} \right)^{\theta_1}; \theta_{ij} = \bar{\theta} + \theta_1 \left( \frac{COV_{ij}}{COV_{median}} \right) \quad (10)$$

**Table 1. Summary of hydroxyurea pharmacokinetic (PK) models for sickle cell patients**

| Individual patients PK model    | Individual PK parameter estimation            | PK model  | Parameters - predictors/covariates        | IIV  | RV                                       |
|---------------------------------|---|---|---|--|--|
| Ware et al. <sup>[32]</sup>     | Univariate and multivariate linear regression | Noncompartmental PK analysis  | CL/F - weight, ALT, serum creatinine      | Coefficient of variation   |  |
| Paule et al. <sup>[33]</sup>    | NLME model                                    | Two-compartment model <ul style="list-style-type: none"> <li>• First-order absorption</li> <li>• First-order elimination</li> </ul>                       | CL - weight<br>V - weight                 | Exponential model  | Combined additive and proportional model |
| Wiczling et al. <sup>[34]</sup> | NLME model                                    | One compartment model <ul style="list-style-type: none"> <li>• Transit absorption model</li> <li>• First-order renal and non-renal elimination</li> </ul> | CL/F - weight<br>V/F -weight              | Exponential model  | Proportional model                       |
| Estep et al. <sup>[35]</sup>    | NLME model                                    | One compartment model <ul style="list-style-type: none"> <li>• Transit absorption model</li> <li>• First-order elimination</li> </ul>                     | CL - weight<br>V - weight                 | Exponential model and exponential model for inter-occasion variability | Proportional model                       |
| Dong et al. <sup>[54]</sup>     | NLME model                                    | One compartment model <ul style="list-style-type: none"> <li>• Transit absorption model</li> <li>• Michaelis-Menten elimination</li> </ul>                | CL/F - weight, cystatin C<br>V/F - weight | Exponential model  | Combined additive and proportional model |

IIV: inter-individual variability; RV: residual variability; NLME: nonlinear mixed effect; CL: clearance; V: volume of distribution; F: bioavailability; CL/F: apparent clearance; V/F: apparent volume of distribution; ALT: alanine aminotransferase

where  $\theta_i$  is the regression coefficient.

In this study, the PK data were best fitted by a one-compartment model with absorption described by the transit absorption model given by Equation (7) and elimination described by the Michaelis-Menten equation with the elimination rate given by  $k_{max}y/(y + K_M)$ , where  $k_{max}$  is the maximum elimination rate,  $y$  is the drug plasma concentration, and  $K_M$  is the Michaelis-Menten constant<sup>[54]</sup>. Weight and cystatin C, a marker of kidney function, were identified as significant covariates for  $k_{max}$  and weight was identified as a significant covariate for  $V/F$ . The elimination of HU decreased with an increase in cystatin C concentration with a corresponding increase in area under the concentration-time curve (AUC). A power model was used to describe the relationships of  $k_{max}$  and  $V/F$  with the covariate weight<sup>[54]</sup>. The IIV was described by an exponential model as given by Equation (2). The RV was described by a combined additive and proportional model, as given by Equation (5). The model gave good fits with the observed PK profile, as seen from goodness-of-fit plots and VPC<sup>[54]</sup>. McGann et al.<sup>[55]</sup> validated the strategy of PK-guided dosing developed by Dong et al.<sup>[54]</sup> to determine the time to reach MTD. The population PK model developed by Dong et al.<sup>[54]</sup> showed that the time to reach MTD could be reduced from 6-12 to 4.8 months, and the starting dose could be increased from 20 mg/kg/day to an average of 27.7 mg/kg/day with a corresponding increase in hemoglobin and HbF<sup>[54,55]</sup>.

From these studies, it can be concluded that the population PK models adequately described the clinical data under various settings. Table 1 summarizes the PK models developed for SCD patients and reviewed in this section. Together, these studies indicate the ability of compartment models embedded into the statistical framework of NLME models to describe the average behavior and individual behavior of patients. For SCD, the structural model for describing average PK data consisted of either one or two compartments<sup>[33,34]</sup>. In HU studies in SCD patients, a linear or nonlinear absorption rate was used, and, for the typical dose of 20 mg/kg/day used in SCD, a linear elimination was sufficient to describe the PK trajectory<sup>[33,34]</sup>. When the dose is high, as in cancer patients, the elimination occurred via linear and enzymatic pathways<sup>[19]</sup>. However, in a recent study in sickle cell patients, Michaelis-Menten elimination was used to fit the PK data<sup>[54]</sup>. Weight was identified as a significant covariate for  $CL$  and  $V$ , as it lowered the objective function value<sup>[32-35,54]</sup>. However, the ADME processes for hydroxyurea are still not fully

understood. The variability in the level of protein, lipids, and small molecules involved in ADME of the drug, such as the transporter protein OATP1B, might be responsible for the variability in patients' PK. Therefore, understanding the ADME processes will help in building a mechanism-based model and strengthen the predictive ability of the population PK model. The studies highlighted here implemented PK modeling strategies; however, there is a need to link the PK model with the PD model.

### Pharmacodynamic modeling

The majority of the models developed for HU describe the PK and the variability in the PK profile of patients. There is very little research done in the area of PD modeling of HU. There is a difference in the timescale of PK and PD variables. The changes in PK variables occur on the scale of hours, while changes in PD variables occur over weeks. The long-term usage of HU causes a significant increase in the percentage of HbF and MCV of RBC<sup>[28]</sup>.

Ware *et al.*<sup>[32]</sup> did a univariate and multivariate analysis between PK and PD variables and covariates and PD variables. The PD variables were HbF% at MTD and the MTD itself. Multivariate modeling identified five significant variables related to HbF% and MTD, as listed in Table 2. However, multivariate linear regression could not adequately predict HbF% and MTD<sup>[32]</sup>.

The mechanism through which HU generates a specific response is not fully understood. To predict the change in response without knowing the exact mechanism of the drug action, four basic types of structural models (turnover models) have been used for describing drug response as a function of drug plasma concentration<sup>[56]</sup>. A general form of these models is shown in the following equation:

$$\frac{dR}{dt} = K_{in} - K_{out}R \quad (11)$$

These four turnover models involve: (1) stimulation or inhibition of the rate of production ( $K_{in}$ ); and (2) stimulation or inhibition of the rate of elimination ( $K_{out}$ ) of the response variable ( $R$ ) by the drug plasma/biophase concentration. The turnover models have been investigated to correlate the change in MCV and HbF% with HU<sup>[33]</sup>. In sickle cell patients, two models, for two response variables, HbF% and MCV, were tested: (1) HU-mediated stimulation of  $K_{in}$ ; and (2) HU-mediated inhibition of  $K_{out}$ . For HbF% dynamics, the elimination rate was modeled as  $K_{out}(1 - I_{max})$ , where  $(1 - I_{max})$  is an inhibitory function. This model could not correlate HbF% and plasma drug concentration for the given dataset. For MCV dynamics, the elimination rate was modeled as  $K_{out}(1 - \beta\bar{y}^{\gamma})$ , where  $\bar{y}$  is the average drug concentration and  $(1 - \beta\bar{y}^{\gamma})$  is the inhibitory function. To explain the variability in responses of patients, the NLME model was used<sup>[33]</sup>. The proportional residual error model in the form of Equation (4) was used to explain RV for HbF% and MCV. The exponential models in the form of Equation (2) were used to describe the IIV for both HbF% and MCV model parameters ( $K_{in}$ ,  $K_{out}$ ,  $I_{max}$ , and  $\beta$ ). For HbF%,  $K_{in}$  has an exponential dependence on  $\Delta$ MCV (change in MCV/day) as a significant covariate. For MCV,  $\beta$  has an exponential dependence on  $\Delta$ HbF% (change in HbF%/day) as a significant covariate. The comparison between the population PD model results and the observed HbF% and MCV data using VPC showed that the model's performance was acceptable<sup>[33]</sup>.

The study also compared two dosing regimens: (1) a daily dose of 1000 mg for seven days; and (2) a daily dose of 1000 mg for five consecutive days followed by an interruption of two days<sup>[33]</sup>. For patients with the highest HbF% level, continuous dosing resulted in stronger response (quantified by a higher HbF%) as compared to dosing with a two-day interruption. The effect of missing the dose on two days in a week was cumulative as the difference in HbF% continued to increase with every week. The two different dosing schemes did not seem to alter MCV dynamics significantly<sup>[33]</sup>.

The percentage changes in HbF and MCV increase in HU treatment. There are very few PD models developed, and only one of them describes the change in the HU response variables with the change in

**Table 2. Summary of hydroxyurea pharmacodynamic (PD) models for sickle cell patients**

| Individual patients PD model | PD model   | Parameters - predictors/covariates   | IIV                      | RV                 |
|------------------------------|--|--|--------------------------|--------------------|
| Ware et al. <sup>[32]</sup>  | Univariate and multivariate linear regression  | Univariate analysis<br>HbF% at MTD - baseline HbF, baseline total bilirubin, baseline ARC, age, height, cystatin C<br>MTD - creatinine, weight, BSA, age, height, BMI<br><br>Multivariate analysis<br>%HbF at MTD - baseline HbF, baseline total bilirubin, baseline ARC, BMI, MRT <sub>∞</sub><br>MTD - baseline creatinine, baseline ARC, baseline BMI, half-life, fast PK phenotype | Coefficient of variation |                    |
| Paule et al. <sup>[33]</sup> | NLME model (individual parameter estimation), turnover PD models with inhibition of the elimination rate | HbF% production rate, $\kappa_m$ - $\Delta$ MCV<br>MCV parameter, $\beta$ - $\Delta$ HbF%  | Exponential model        | Proportional model |

IIV: inter-individual variability; RV: residual variability; NLME: nonlinear mixed effect; HbF: fetal hemoglobin; MTD: maximum tolerated dose; ARC: absolute reticulocyte count; BSA: body surface area; BMI: body mass index; MRT<sub>∞</sub>: mean residence time; MCV: mean cell volume;  $\Delta$ MCV: change in MCV/day;  $\Delta$ HbF%: change in HbF%/day

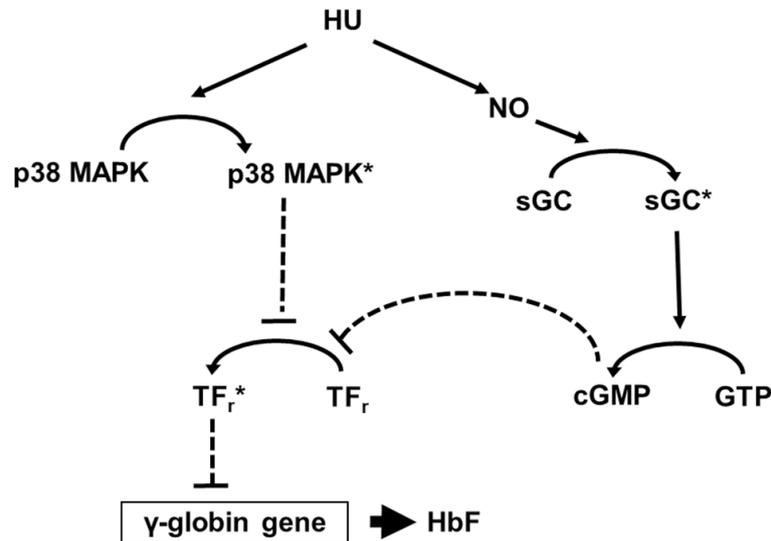
the drug concentration. The PD modeling approach has focused on relating efficacy with drug exposure. A model that can relate both drug toxicity and drug efficacy with drug exposure is needed to obtain a dose that maximizes efficacy and minimizes toxicity. Table 2 summarizes the PD models developed for SCD patients and reviewed in this section. A PD model able to correlate drug biophase/plasma concentration with MCV of RBC and HbF will be useful for predicting individual patient trajectory with time and will reduce clinicians' waiting time in reaching the individual specific dose. Additionally, genetic polymorphisms were seen in patients treated with HU in genes associated with HU metabolism, erythroid progenitor proliferation, and HbF expression<sup>[57]</sup>. Incorporation of genetic polymorphisms in the population PD model will help in better explaining the IIV in response. In PD modeling, an indirect response or turnover model is useful to correlate change in HbF and MCV with HU exposure. However, for a detailed approach, a mechanistic model needs to be developed. Several studies were conducted to investigate the signaling pathway involved in the mechanism of HU-mediated reactivation of HbF.

### Hydroxyurea signaling pathway

HU increased nitric oxide (NO) and activated soluble guanylyl cyclase (sGC)<sup>[43,58-60]</sup>. sGC induced  $\gamma$ -globin gene expression, mediated by cyclic guanosine monophosphate (cGMP)<sup>[44,61]</sup>. The role of p38 mitogen-activated protein kinase (MAPK) in HbF activation has been studied<sup>[45,62-64]</sup>. Phosphorylation of p38 MAPK increased in HU responsive erythroid cells while it was unaffected in HU resistant cells<sup>[65]</sup>. In some studies, NO stimulated p38 MAPK phosphorylation through cGMP-dependent protein kinase (PKG)<sup>[66,67]</sup>. In separate studies, the transcription factors such as BCL11A, KLF1, and SOX6 silenced  $\gamma$ -globin gene expression<sup>[68-70]</sup>. The HU treatment reduced the expression of repressors, which activated the  $\gamma$ -globin gene<sup>[71]</sup>. Additionally, HU induced immediate reduction in WBCs adhesion to vascular endothelium and reduction in WBC-RBC interaction, which are associated with the vaso-occlusive crisis. The studies have shown the potential role of the NO-cGMP signaling pathway in HU induced anti-inflammatory effects<sup>[72,73]</sup>.

The HU induced HbF synthesis is represented by a proposed signaling pathway, as shown in Figure 1. In the figure, HU is metabolized to NO. Then, NO binds to sGC and activates it. The activated sGC (sGC<sup>\*</sup>) converts GTP to cGMP. The transcription factors that silence the  $\gamma$ -globin gene expression are all combined into TF<sub>r</sub>. HU activates p38 MAPK (p38 MAPK<sup>\*</sup>) as well. The HU-dependent cGMP production and p38 MAPK activation inhibit the expression of TF<sub>r</sub>. As a result, the reduced expression of TF<sub>r</sub> promotes  $\gamma$ -globin gene expression and, consequently, HbF production.

The signaling pathway plays a significant role in HU-induced HbF stimulation. Hence, a deeper understanding of the signaling network is needed. Further studies are needed to establish the role of the



**Figure 1.** Proposed hydroxyurea signaling pathway. HU: hydroxyurea; NO: nitric oxide; sGC: soluble guanylyl cyclase; GTP: guanosine triphosphate; cGMP: cyclic guanosine monophosphate; p38 MAPK: p38 mitogen-activated protein kinase; TF<sub>r</sub>: repressor; solid line: activation; dashed line: repression; asterisk: activated form

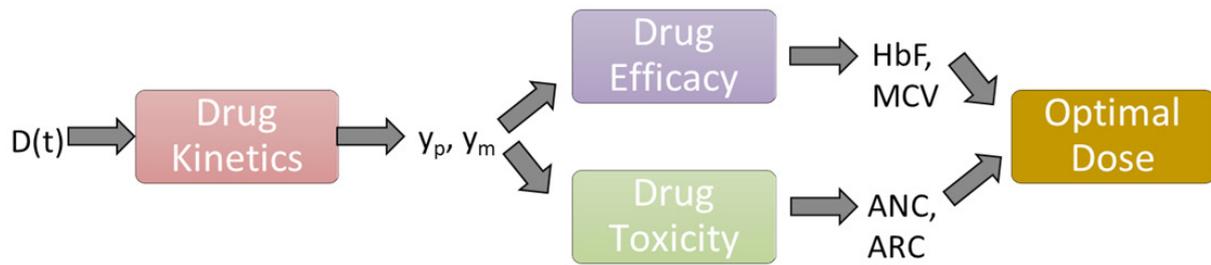
HU-NO-sGC-cGMP and HU-p38 MAPK pathways in HbF activation. We also need to investigate how cGMP and p38 MAPK are correlated with transcription factors such as BCL11A, KLF1, and SOX6, which silence the  $\gamma$ -globin gene, and this will shed light on how HU turns on the switch for HbF synthesis. The signaling network shown in Figure 1 needs to be modeled to capture the HbF dynamics along with HU dynamics. The predictive model can be used to guide future experiments to explore and fill the gap in our understanding of the possible mechanism of HbF induction. The reason for studying a signal transduction-based PD model is that it will give better insight into understanding the drug-cell interaction.

## DISCUSSION AND FUTURE DIRECTION

The majority of studies validate the safety and efficacy of long-term usage of HU treatment for SCD<sup>[25,26]</sup>. However, variability in patient response across the population and the variability of an individual patient response with time demands continuous monitoring of the drug in patients. The standard dosing scheme followed in a clinical setting to understand the relationship between dose and response provides a framework for the development of computational approaches. A mathematical model provides us with a tool to capture the variant responses of patients against a given drug. Based on the current HU treatment challenges for SCD patients, the following directions can be pursued for future research initiatives.

### Optimal dose determination

Patients currently undergo a trial-and-error approach for clinicians to determine their MTD. Sometimes this approach might cause excessive or inadequate dosing, which will cause either cytotoxicity or ineffective treatment. To minimize excessive myelosuppression and maximize drug efficacy, the optimal drug dosage needs to be determined based on the response predicted from a PK-PD model for an individual. The PK model needs to be integrated with the efficacy and toxicity models to characterize kinetics with both efficacy and toxicity. The modeling can include the three components *Kinetics Model*, *Efficacy Model*, and *Toxicity Model*, as shown in Figure 2. The kinetics model will calculate HU plasma ( $y_p$ ) and metabolites ( $y_m$ ) concentration dynamics with HU dose as the input. For this, the already existing PK models can be used. Using  $y_p$  and  $y_m$  as the inputs, the efficacy model will calculate HbF and MCV with time, and the toxicity model will calculate absolute neutrophil count (ANC) and absolute reticulocyte count (ARC) with time.



**Figure 2.** A modeling framework for optimal dose calculation.  $D(t)$ : HU dose;  $y_p$ : HU plasma concentration;  $y_m$ : metabolite concentration; HbF: fetal hemoglobin concentration; MCV: mean cell volume of red blood cell; ANC: absolute neutrophil count; ARC: absolute reticulocytes count

### Quantify non-adherence

As described in the section on Hydroxyurea Treatment Challenges, there is a need to quantify non-adherence using a mathematical model that can predict patient response and differentiate non-adherent patients from non-responders.

In PK-PD studies of HU, it is seen that there is a time lag in the drug expression in the plasma and the drug response. The timescale for change in HU in the plasma is in hours, as observed from PK studies<sup>[32,34,35]</sup>. However, the change in the response variables is seen after weeks of hydroxyurea exposure<sup>[21,27]</sup>. The reason behind the time lag in the PK-PD profiles of HU is not fully understood. The underlying mechanism of how HU stimulates HbF synthesis, how it increases the MCV of RBC, and how it causes myelosuppression is not fully understood. To address the above, the various factors influencing the PK-PD trajectory of HU need to be understood. Further work needs to be done to identify the HU transporters, metabolites, and enzymes involved. The signaling pathway involved in HbF stimulation needs to be identified through new experiments. The mechanism of how HU affects cells in the different stages of hematopoiesis will aid in elucidating the drug-dependent myelosuppression.

The current state of mathematical model development in HU treatment of SCD patients aims towards building a population PK-PD model to predict individual patient PK and the relation between exposure and efficacy [Tables 1 and 2]. The recent developments in population PK models have shown promising results in predicting varying PK profiles of patients<sup>[33-35,54]</sup>. However, there has been little effort to link the PK and PD models of HU. Besides, the PD model only considered efficacy and did not include toxicity<sup>[33]</sup>. A detailed PD model based on HU efficacy and toxicity is needed, which can predict the dynamics of individual patient response and can be tweaked to generate the desired response. There is also a need to integrate the systems biology approach with PK-PD modeling to develop mechanistic models of the drug-disease dynamics. Mathematical models can give new insight and improve the understanding of the mechanism of SCD progression and modification in the presence of HU, thereby advancing the treatment and improving the quality of life of SCD patients.

### DECLARATIONS

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#### Authors' contributions

Reviewed literature and wrote the manuscript: Pandey A  
 Provided critical review and editing of the manuscript: Estep JH  
 Provided critical review of the manuscript: Ramkrishna D

### Availability of data and materials

Not applicable.

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### Ethical approval and consent to participate

Not applicable.

### Consent for publication

Not applicable.

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