## **Supplementary Materials**

# **Data-driven exploration and first-principles analysis of perovskite material**

## **Lei Zhang \* , Jiacheng Zhou, Xuexiao Chen**

Department of Materials Physics, School of Chemistry and Materials Science, Nanjing University of Information Science & Technology, Nanjing 210044, Jiangsu, China.

**\*Correspondence to:** Prof. Lei Zhang, Department of Materials Physics, School of Chemistry and Materials Science, Nanjing University of Information Science & Technology, 219 Ning Liu Road, Nanjing 210044, Jiangsu, China. E-mail: 00269[9@nuist.edu.cn](mailto:002699@nuist.edu.cn)



**Supplementary Figure 1.** Band structures of 1-3 with energy range from -20 eV to 20 eV of the predicted new structures **1-3** of GdScO3.



**Supplementary Figure 2.** Visualization of language model for GdScO<sub>3</sub> applications (t-SNE from language model using 1.18 million scientific articles): stability, efficiency, absorption, solar, spectrum and battery.

#### **Supplementary notes**

#### *Skip-gram method*

The skip-gram method is a fundamental technique in the Word2Vec algorithm, used for learning word embeddings in natural language processing. This method is designed to predict the surrounding context words given a central target word within a sentence. In essence, the skip-gram model seeks to maximize the probability of the context words appearing around a specified target word, thereby capturing semantic relationships between words. The process begins with a large corpus of text, where the goal is to predict the context words surrounding each target word. For instance, in the sentence "The quick brown fox jumps over the lazy dog," if "fox" is the target word, the context words might include "quick," "brown," "jumps," and "over," depending on the context window size. The skip-gram model employs a shallow neural network with a single hidden layer. In this network, the input layer represents the target word, while the output layer provides a probability distribution over the vocabulary for the context words. During training, the model adjusts the weights to increase the likelihood of the actual context words given the target word. This adjustment is achieved through stochastic gradient descent and backpropagation.

In materials science, consider the sentence "The titanium dioxide exhibits high photocatalytic activity under UV light." If "titanium" is the target word, the skip-gram model predicts surrounding context words such as "dioxide," "exhibits," and "activity," depending on the context window size. For instance, with a window size of 2, the model would predict "dioxide" and "exhibits" based on the target word "titanium." By training on a large corpus, the model learns to represent words like "titanium" and "dioxide" in a vector space that reflects their semantic relationships.

Overall, the skip-gram method is highly effective in generating dense vector representations of words, where words with similar meanings are represented by vectors that are close to each other in the vector space. This capability makes it a valuable tool for various applications in natural language processing, including semantic analysis, machine translation, and information retrieval.

## *Paper collection*

Criteria and process for selecting the 50,000 papers from SpringerLink: the papers are published between 2010 and 2020 to ensure that the data is relevant to current research trends. The search is specifically filtered to include papers within the domain of materials science, ensuring that the collected abstracts are pertinent to the objectives ofthis study.The keywords "material", "chemical", and "physics" are used to encompass a broad spectrum of topics within materials science, chemistry, and physics that are relevant to the research. More detailed description of the criteria for selecting the papers from SpringerLink is provided in the literature.<sup>1–3</sup> By applying these criteria, the selected papers are considered to be relevant to the research focus in materials science.

#### *Background of genetic process*

Symbolic algorithm is employed to simulate the process of evolution. The algorithm usually includes subtree mutation, point mutation and hoist mutation. Subtree mutation is a commonly used genetic algorithm operator that modifies a portion of the chromosome's subtree structure. By randomly selecting a subtree from the parent individual and replacing it with a randomly generated new subtree, subtree mutation introduces new combinations of genes and structures, increasing the algorithm's search space and promoting population diversity. Point mutation is another genetic algorithm operator that introduces new gene mutations by randomly changing the value of a gene position on the chromosome. Point mutation can introduce local changes in the chromosome, potentially allowing the algorithm to explore different solutions in the search space. Hoist mutation is a special kind of mutation operator used to modify individuals represented as mathematical expressions, which involves selecting a subtree and promoting it to a higher level, making the individual's structure more complex. This operation can increase the diversity of individuals during the genetic algorithm search process and may lead to the discovery of better solutions. By incorporating these genetic algorithm mutation operators, such as subtree mutation, point mutation, and hoist mutation, appropriate variations and diversity can be introduced, helping the optimization algorithm discover better solutions in the search space.

## *Input files (parameters for Genetic crystal structure prediction)*

#GAsearch of fixed composition GdScO3

formulaType: fix structureType: bulk pressure: 0 initSize:  $20$  # number of structures of 1st generation popSize: 20  $\#$  number of structures of per generation numGen:  $10$  # number of total generation



# *GA codes in MAGUS:*

The GA algorithm code is provided in the GitHub website (MAGUS). The GA process is integrated in the MAGUS crystal structure prediction process. More codes are provided in [https://github.com/Zhang-NJ-Lab/GdScO3\\_CSP/tree/main/generators.](https://github.com/Zhang-NJ-Lab/GdScO3_CSP/tree/main/generators) Exemplar codes (ga.py) describing the GA algorithm are:

# TODO

 $#$  how to set k in edom import logging import numpy as np from magus.utils import \* import prettytable as pt from collections import defaultdict import yaml # from .reconstruct import reconstruct, cutcell, match symmetry, resetLattice

 $log = logging.getLogger($  name)

### ##################################

# How to select parents?

 $\#$ 

# How Evolutionary Crystal Structure Prediction Works—and Why.

# Acc. Cheminp# The Journalof Chemical Physics 141, 044711 (2014).

 $\#$ 

# For now, we use a scheme similar to oganov's, because it just use rank information and can be easily extend to multi-target search.

##################################

def f prob(func name = 'exp',  $k = 0.3$ ):

```
def exp(dom):
    return np.exp(-k * dom)
def liner(dom): """
    [https://doi.org/10.1063/1.3097197]
    p[i] = p1 - (i - 1)p1 / c; recommand value c: 2/3 population size
```
"""

```
return 1 - (\text{dom} - 1) / (k * \text{len}(\text{dom}))
```

```
if func name == 'exp':
```
return exp

elif func\_name == 'liner':

return liner

else:

raise Exception("Unknown function name {}".format(func\_name))

### class GAGenerator:

def init (self, op list, op prob, \*\*parameters): Requirement =  $[\text{pop size}, \text{'n cluster}']$ 

Default={'rand\_ratio': 0.3, 'add\_sym': True, 'history\_punish':1.0, 'k': 0.3, 'choice\_func':

## 'exp'}

check parameters(self, parameters, Requirement, Default)

```
assert len(op list) == len(op prob), "number of operations and probabilities not
```
### match"

```
assert np.sum(op prob) > 0 and np.all(op prob \geq 0), "unreasonable probability are
```
given"

```
self.op list = op list
self.op prob = op\_prob / np.sum(op\_prob)
```

```
self.gen = 1
```

```
def repr (self):
```
 $ret = self.\_class\_\_.\_name$ 

ret += "\n-------------------"

c, m = "\nCrossovers:", "\nMutations:"

for op, prob in zip(self.op\_list, self.op\_prob):

if op.n input  $== 1$ :

 $m == "$ \n {}: {:>5.2f}%".format(op. class. name.ljust(20, '), prob \*

100)

```
elif op.n input == 2:
     c += "\n {}: \{: \frac{5.2f}{\%}".format(op. class. name.ljust(20, '), prob *
```
100)

```
ret += m + cret += "\nRandom Ratio : \{:.2\% ".format(self.rand ratio)
ret += "\nNumber of cluster \qquad : {}".format(self.n_cluster)
ret += "\nAdd symmertry : {}".format(self.add sym)
if self.history punish != 1.0:
     ret += "\nHistory punishment : \{\}".format(self.history punish)
ret += "\nSelection function {}; k = {}".format(self.choice_func, self.k)
ret += "\\n--------------------------\n"
return ret
```
@property

```
def n_next(self):
     return int(self.pop size *(1 - self.random ratio))
```

```
def get parents(self, pop, n_input):
     if n input == 1:
          return self.get_ind(pop)
     elif n input == 2:
          return self.get_pair(pop)
```

```
def get pair(self, pop, n_try=50):
    history punish = self.history punish
     assert 0 < history punish \leq 1, "history punish should between 0 and 1"
```

```
dom = np.array([ind.info['dominators'] for ind in pop])edom = (f<sub>prob</sub>(k = self.k))(dom)used = np.array(\lceil \text{ind.info} \rceil used'] for ind in pop])
labels, \_\_= pop.classclustering(self.n_\_cluster)
fail = 0
```

```
while fail \leq n try:
    label = np.random.choice(np.unique(labels))
    indices = np.where(labels = label)[0]
    if len(indices) < 2:
         fail += 1continue
    prob = edom[indices] * history punish ** used[indices]
    prob = prob / sum(prob)i, j = np.random.choice(indices, 2, p=prob)pop[i].info['used'] += 1pop[i].info['used'] += 1return pop[i].copy(), pop[j].copy()
```

```
indices = np.arange(len(pop))prob = edom[indices] * history punish ** used[indices]
prob = prob / sum(prob)i, j = np.random.choice(indices, 2, p = prob)pop[i].info['used'] += 1pop[i].info['used'] += 1return pop[i].copy(), pop[j].copy()
```
def get\_ind(self, pop):

```
history punish = self.history punish
```
 $dom = np.array([ind.info['dominators'] for ind in pop])$ 

```
edom = (f<sub>prob</sub>(k = self.k))(dom)used = np.array([ind.info['used'] for ind in pop])prob = edom * history punish ** used
prob = prob / sum(prob)choosed = \lceil]
i = np.random.choice(len(pop), p=prob)pop[i].info['used'] += 1return pop[i].copy()
```

```
def generate(self, pop, n):
```

```
log.debug(self)
```
# Add symmetry before crossover and mutation

if self.add\_sym:

pop.add\_symmetry()

```
newpop = pop. class ([], name='init', gen=self.gen)
```

```
op choosed num = [0] * len(self.open] list)
```

```
op success num = [0] * len(self_op list)
```
# Ensure that the operator is selected at least once

```
# for i, op in enumerate(self.op list):
```

```
# op choosed num[i] += 1
```

```
\# cand = self.get parents(pop, op.n input)
```

```
# newind = op.get new individual(cand)
```

```
# if newind is not None:
```

```
# op success num[i] += 1
```

```
# newpop.append(newind)
```
while  $len(newpop)$  < n:

 $i = np.randomchoice(len(self.openlist), p=self.openprob)$ 

```
op choosed num[i] += 1
```
 $op = self(op$  list[i]

```
cand = self.get parents(pop, op.n input)
```

```
newind = op.get new individual(cand)
```
if newind is not None:

op success  $num[i] += 1$ 

newpop.append(newind)

 $table = pt.PrettyTable()$ 

```
table.field_names = ['Operator', 'Probability ', 'SelectedTimes', 'SuccessNum']
```
for i in range(len(self.op\_list)):

table.add\_row([self.op\_list[i].descriptor,

'{:.2%}'.format(self.op\_prob[i]),

```
op_choosed_num[i],
```
op\_success\_num[i]])

log.info("OP infomation:  $\ln$ " + table. str ())

newpop.check()

return newpop

def select(self, pop, num):

if num  $\leq$  len(pop):

pop = pop[np.random.choice(len(pop), num, False)] return pop

def get next pop(self, pop, n\_next=None):

# calculate dominators before choose structures pop.del\_duplicate() pop.calc\_dominators() n\_next = n\_next or self.n\_next self.gen += 1  $newpop = self.generate(pop, n next)$ return self.select(newpop, n\_next)

def save all parm to yaml(self):

 $d = \{\}$ 

for op, prob in zip(self.op\_list, self.op\_prob):

```
d[op. class . name ]= {}
d[op.__class__.__name__]['prob'] = float(prob)
for k in op.Default.keys():
     d[op. \quad class \quad . \quad name \quad][k] = getattr(op, k)
```

```
d[}'rand ratio'] = self.rand ratio
d['n cluster'] = self.n cluster
d['addsym'] = self.addsymd[<sup>r</sup>history-punish'] = self.history-punishd['choice~func'] = self.choice~func]d['k'] = self.k
```

```
with open('gaparm.yaml', 'w') as f:
     f.write(yaml.dump(d))
return
```

```
class AutoOPRatio(GAGenerator):
```

```
def init (self, op list, op prob, **parameters):
     Default = \{ 'good ratio': 0.6, 'auto random ratio': True \}check parameters(self, parameters, [], Default)
     super(). \text{init} (op list, op prob, **parameters)
```

```
def change op ratio(self, pop):
     total nums = defaultdict(int)good nums = defaultdict(int)
     for ind in pop:
          origin = ind.info['origin']if origin == 'seed':
               continue
          if not self.auto random ratio and origin == 'random':
```

```
continue
               total nums[origin] += 1if ind.info['dominators'] < len(pop) * self.good_ratio:
                    good nums[origin] += 1op grade = {op: good_nums[op] ** 2 / total_nums[op] for op in total_nums if
total_nums[op] > 0}
          table = pt.PrettyTable()table.field_names = ['Operator', 'Total ', 'Good', 'Grade']
          for op in self.op_list:
               grade = op_grade[op.descriptor] if op.descriptor in op_grade else 0
               table.add_row([op.descriptor, total_nums[op.descriptor], good_nums[op.descriptor], np.round(grade, 3)])
          if self.auto random ratio and self.gen > 2:
               grade = op_grade['random'] if 'random' in op_grade else 0
               table.add_row(['random', total_nums['random'], good_nums['random'], np.round(grade, 3)])
          log.debug("OP grade: \n' + table. str()if self.auto random ratio and self.gen > 2:
               if 'random' not in op_grade:
                    op grade['random'] = 0self.rand ratio = 0.5 * (op\qquadradel' random'] / sum(op<sub>grade</sub>.values() +self.rand ratio)
               del op_grade['random']
          for i, op in enumerate(self.op_list):
               if op.descriptor in op_grade:
                    self.op prob[i] = 0.5 * (op grade[op.descriptor] / sum(op grade.values()) +
self.op_prob[i])
               else:
                    self.op prob[i] = 0.5 * self.op prob[i]
```

```
self.open_prob /= np.sum(self.op_prob)
```

```
def get_next_pop(self, pop, n_next=None):
    pop.calc_dominators()
    if self.gen > 1:
         self.change op ratio(pop)
         #self.save_all_parm_to_yaml()
    n_next = n_next or self.n_next
    newpop = self.generate(pop, n_next)
    self.gen += 1return self.select(newpop, n_next)
```